

Dynamic, Latency-Optimal vNF Placement at the Network Edge

Number of connected devices



Connected devices (billions)

Source: Ericsson IoT forecast https://www.ericsson.com/en/mobility-report/internet-of-things-forecast

Increased expectations

- Future networks are expected to support
 - Context-aware
 - Ultra-reliable
 - User-specific network services

- Connected by
 - High-bandwidth and
 - Low-latency connections

Example services: video content caches, user-specific firewalls, DDoS mitigation modules, etc.

Opportunities with Edge NFV

One way to solve these challenges is to bring Network Function Virtualization to the Network Edge

- Network Function Virtualization
 - Decoupling network services from hardware and running them in software
 - Used in data centers, in the core of the network
 - Lacks latency-optimal service orchestration

Multi-Access Edge Computing

- Compute infrastructure at the edge of the network
- Also known as "fog computing"
- Close proximity to the user => low latency connectivity
- Services at the edge save utilization for the core

Edge NFV Architecture



Latency-optimal vNF placement

- We focus on placing vNFs to latency-optimal edge locations
 - For each vNF association, we need to find a hosting device where a userto-vNF end-to-end latency is minimal!
- Given: topology, hosting devices (with capabilities), latency on links, user's locations



- Problem input: user to vNF assignment, vNF requirements (latency, compute)
 NF (2CPU cores, max 30 ms from user)
- Output: vNF to edge mapping

 \mathbf{NF}

Richard Cziva, Christos Anagnostopoulos, Dimitrios P Pezaros | University of Glasgow | Richard.Cziva@glasgow.ac.uk | INFOCOM'18 | Honolulu, Hawaii

Should be allocated to

Edge Node 1



NF assignments



Edge properties: - CPU / Memory available

Link properties:

- Bandwidth available (cost)

- Delay

Goal is to have a placement, where:

- All NFs are placed and traffic is router through them
- No overloading on links / edge devices



NF assignments



Edge properties: - CPU / Memory available

Link properties:

- Bandwidth available (cost)

- Delay

Goal is to have a placement, where:

- All NFs are placed and traffic is router through them
- No overloading on links / edge devices

Network parameters	Description
$\mathbb{G}=(\mathbb{H},\mathbb{E},\mathbb{U})$	Graph of the physical network.
$\mathbb{H} = \{h_1, h_2, h_j, \dots, h_H\}$	Compute hosts (e.g., edge devices) within the network.
$\mathbb{E} = \{e_1, e_2, e_m, \dots, e_E\}$	All physical links in the network.
$\mathbb{U} = \{u_1, u_2, u_o, \dots, u_U\}$	All users associated with network functions.
$\mathbb{P} = \{p_1, p_2, p_k, \dots, p_P\}$	All paths in the network.
W_{j}	Hardware capacity $\{cpu, memory, io\}$ of the hosts $h_j \in H$.
C_m	Capacity of the link $e_m \in E$.
A_m	Latency on the link $e_m \in E$.
Z_k	Last host in path $p_k \in P$.
vNF parameters	Description
$\mathbb{N}=\{n_1^1,n_2^2,n_i^o,\ldots,n_N^U\}$	Network functions to allocate, where the vNF $n_i^o \in \mathbb{N}$ is associated to user $u_o \in \mathbb{U}$.
R_i	vNF's host requirements $\{cpu, memory, io\}$ of vNF $n_i \in \mathbb{N}$.
$ heta_i$	The maximum latency vNF $n_i \in N$ tolerates from its user.
θ_i Derived parameters	The maximum latency vNF $n_i \in N$ tolerates from its user. Description
θ _i Derived parameters b _{ijk}	The maximum latency vNF $n_i \in N$ tolerates from its user. Description Bandwidth required between the user and the vNF n_i in case it is hosted at h_j using the path p_k . Derived from the physical topology and the vNF requests.
θ _i Derived parameters b _{ijk} l _{ijk}	The maximum latency vNF $n_i \in N$ tolerates from its user. Description Bandwidth required between the user and the vNF n_i in case it is hosted at h_j using the path p_k . Derived from the physical topology and the vNF requests. Latency between the user of the vNF n_i in case it is hosted at h_j and uses the path p_k . Derived from the physical topology and the vNF requests.
θ _i Derived parameters b _{ijk} l _{ijk} Variables	The maximum latency vNF $n_i \in N$ tolerates from its user. Description Bandwidth required between the user and the vNF n_i in case it is hosted at h_j using the path p_k . Derived from the physical topology and the vNF requests. Latency between the user of the vNF n_i in case it is hosted at h_j and uses the path p_k . Derived from the physical topology and the vNF requests. Description
θ _i Derived parameters b _{ijk} l _{ijk} Variables X _{ijk}	The maximum latency vNF $n_i \in N$ tolerates from its user. Description Bandwidth required between the user and the vNF n_i in case it is hosted at h_j using the path p_k . Derived from the physical topology and the vNF requests. Latency between the user of the vNF n_i in case it is hosted at h_j and uses the path p_k . Derived from the physical topology and the vNF requests. Description Binary decision variable denoting if n_i is hosted at h_j using the path p_k or not.

Edge vNF Placement ILP

Decision variable if we allocate n_i^o to h_j using path p_k otherwise $X_{ijk} = \begin{cases} 1 \\ 0 \end{cases}$ **Objective function** min . $\sum \sum \sum X_{ijk} l_{ijk}$ $p_k \in \mathbb{P} n_i^o \in \mathbb{N} h_i \in \mathbb{H}$ Constraints $\sum_{n_i^o \in \mathbb{N}} \sum_{p_k \in \mathbb{P}} X_{ijk} R_i < W_j, \forall h_j \in \mathbb{H}$ (3) Hardware limitations $\sum_{h, \in \mathbb{H}} \sum_{n \in \mathbb{P}} X_{ijk} l_{ijk} < \theta_i, \forall n_i^o \in \mathbb{N}$ Maximum latency (4) $\sum_{h_i \in \mathbb{TH}} X_{ijk} = 1, orall n_i^o \in \mathbb{N}, orall p_k \in \mathbb{P}$ (5) Allocate a vNF to 1 host $\sum_{k, l \in \mathbb{H}} X_{ijk} b_{ijk} < C_m, \forall e_m \in p_k, \forall p_k \in \mathbb{P}$ (6) Bandwidth constraint $X_{ijk} = 0, n_i^o \neq Z_k, \forall n_i^o \in \mathbb{N}, \forall p_k \in \mathbb{P}, \forall h_i \in \mathbb{H}$ (7) Valid path constraint

Are we done?

- The ILP allocates vNFs to latency-optimal location. However:
 - User's move between edge devices
 - · Latencies change on links frequently
 - Other users impact traffic / congestion on the path
- These all impact the once optimal allocation!

We need dynamic re-allocation of edge vNFs to keep allocation latency-optimal!



NF assignments



Edge properties: - CPU / Memory available

Link properties:

- Bandwidth available (cost)

- Delay

Goal is to have a placement, where:

- All NFs are placed and traffic is router through them
- No overloading on links / edge devices



NF assignments



Edge properties: - CPU / Memory available

Link properties:

- Bandwidth available (cost)

- Delay

Goal is to have a placement, where:

- All NFs are placed and traffic is router through them
- No overloading on links / edge devices







Latency violations

- Assume that each vNF has a latency violation threshold that is a maximum latency the vNF should get from the user. This is θ_1
 - For instance a cache vNF can have 20 ms for this value, while a control plane vNF can have 150 ms
- Latency can not be guaranteed 100%, so the system will experience latency violations frequently
- Upcoming latency violations can be mitigated with a new latencyoptimal vNF placement (but that costs migrations and placement calculation)

Goal: minimize latency violations, while keeping number of vNF migrations low

So, the new question is:

How often (when) do we rearrange vNFs?

Every time we can

- easy to implement, always latencyoptimal allocation
- way too many migrations

Periodically

- easy to implement, easy to predict migrations
- can results in too many latency violations, if the period is too long

Optimal time

 low number of latency violations and low number of migrations

How do we get this "optimal time"?

Counting latency violations experienced:

$$\begin{split} L_t &= \sum_i L_t^i \qquad L_t^i = \sum_j \sum_k L_{ijk}^t, \qquad L_{ijk}^t = \begin{cases} 1 & \text{if } l_{ijk}^t > \theta_i \\ 0 & \text{otherwise} \end{cases} \\ f(Y_t) &= \begin{cases} Y_t & \text{if } Y_t \leq \Theta, \\ \lambda \mathbb{E}[\mathcal{M}_0] & \text{if } Y_t > \Theta, \end{cases} \end{split}$$

$$\mathcal{M}_{t
ightarrow au} = \sum_{ijk} I(x^t_{ijk}, x^ au_{ijk}),$$

Migration cost between placements

$$Y_t = \sum_{k=0}^t L_k.$$

٦

Reward function

Cumulative sum of all violations at time t

 The challenge is to find the (optimal stopping) time instance t^{*} for deriving an optimal placement for the vNFs, such that Y_t be as close to the system's maximum tolerance Θ as possible

Problem 2. Find the optimal stopping time t^* where the supremum in (14) is attained:

$$\sup_{t \ge 0} \mathbb{E}[f(Y_t)]. \tag{14}$$

How do we get this "optimal time"?

Theorem 2. Given an initial optimal vNF placement \mathcal{I}_0 at time t = 0, we re-evaluate the optimal placement \mathcal{I}_t at time instance t such that:

$$\inf_{\tau \le 0} \{ \tau : \sum_{\ell=0}^{\Theta - Y_{\tau}} \ell P(L = \ell) \le (Y_{\tau} - \lambda \mathbb{E}[\mathcal{M}_0])(1 - F_L(\Theta - Y_{\tau})) \}$$
(16)

where $F_L(\ell) = \sum_{l=0}^{\ell} P(L=l)$ and $P(L=\ell)$ is the cumulative distribution and mass function of L in (11), respectively. For deriving the 1-sla, we have to stop at the first time instance t where $\mathbb{E}[f(Y_{t+1})|Y_t \leq \Theta] \leq Y_t$, that is, at that t:

$$\sum_{\ell=0}^{\Theta-Y_t} \ell P(L=\ell) + (Y_t - \lambda \mathbb{E}[\mathcal{M}_0]) F_L(\Theta - Y_t) + \lambda \mathbb{E}[\mathcal{M}_0] \le Y_t,$$

Please find proof + solution fundamentals in the paper.

Note: we take only previous observations to make a decision.

Evaluation

- We have divided the evaluation into two parts:
 - Latency-optimal allocation
 - Placement scheduling (dynamic extension)
- Simulation environment:
 - Gurobi solver used for ILP (with Python binding)
 - Python implementation for the optimal stopping time triggering the solver at the optimal stopping time

TABLE II: Latency tolerance of different vNF types

Type of network function	Maximum delay
Real-time (e.g., packet processing functions)	10 ms
Near real-time (e.g., control plane functions)	30 ms
Non real-time (e.g., management functions)	100 ms

Edge vNF allocation





Latency fluctuations



Based on empirical data collected with Ruru.

Deviation from optimal



Placement scheduling



Our solution does not reach the latency violation threshold, and gives low number of migrations.

Summary

- Edge vNFs can support low-latency if allocated to the right devices
- Our work proposed a dynamic, latency-optimal vNF allocation algorithm
 - Optimal allocation used Integer Linear Programming
 - Dynamic extension was built on top of Optimal Stopping Theory
- Evaluation was conducted using real-world latency characteristics and a nation-wide network topology
- Our solution reduces the number of migrations by 94.8% and 76.9% compared to a scheduler that runs every time instance and one that would periodically trigger vNF migrations to a new optimal placement, respectively.

NETLAB

NORKED SYSTEMS RESEARCH LABORATO

University School of of Glasgow Computing Science

Thank you for your attention! Download this presentation from http://netlab.dcs.gla.ac.uk

Extra: learning phase



Glasgow Network Functions

